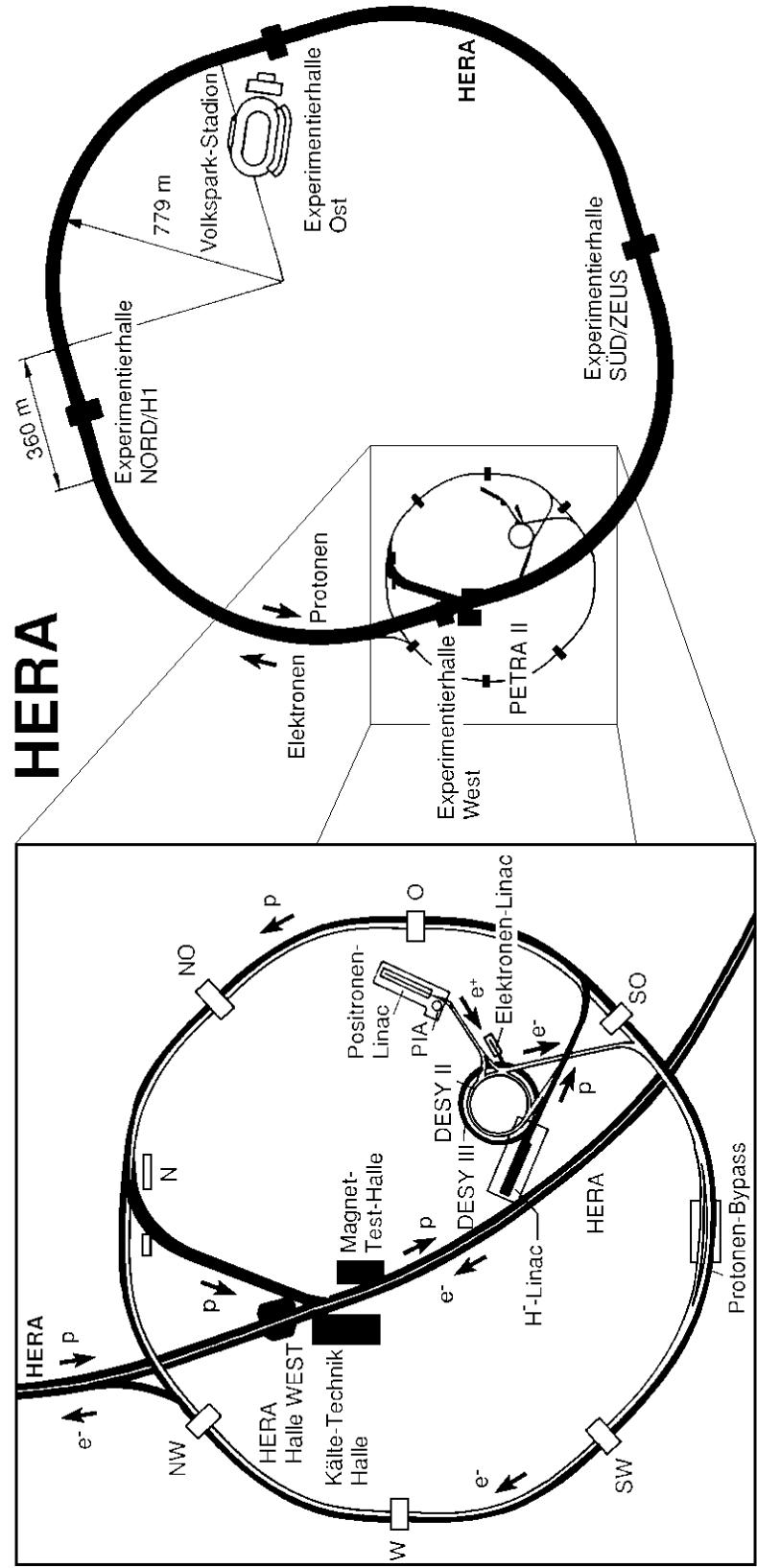


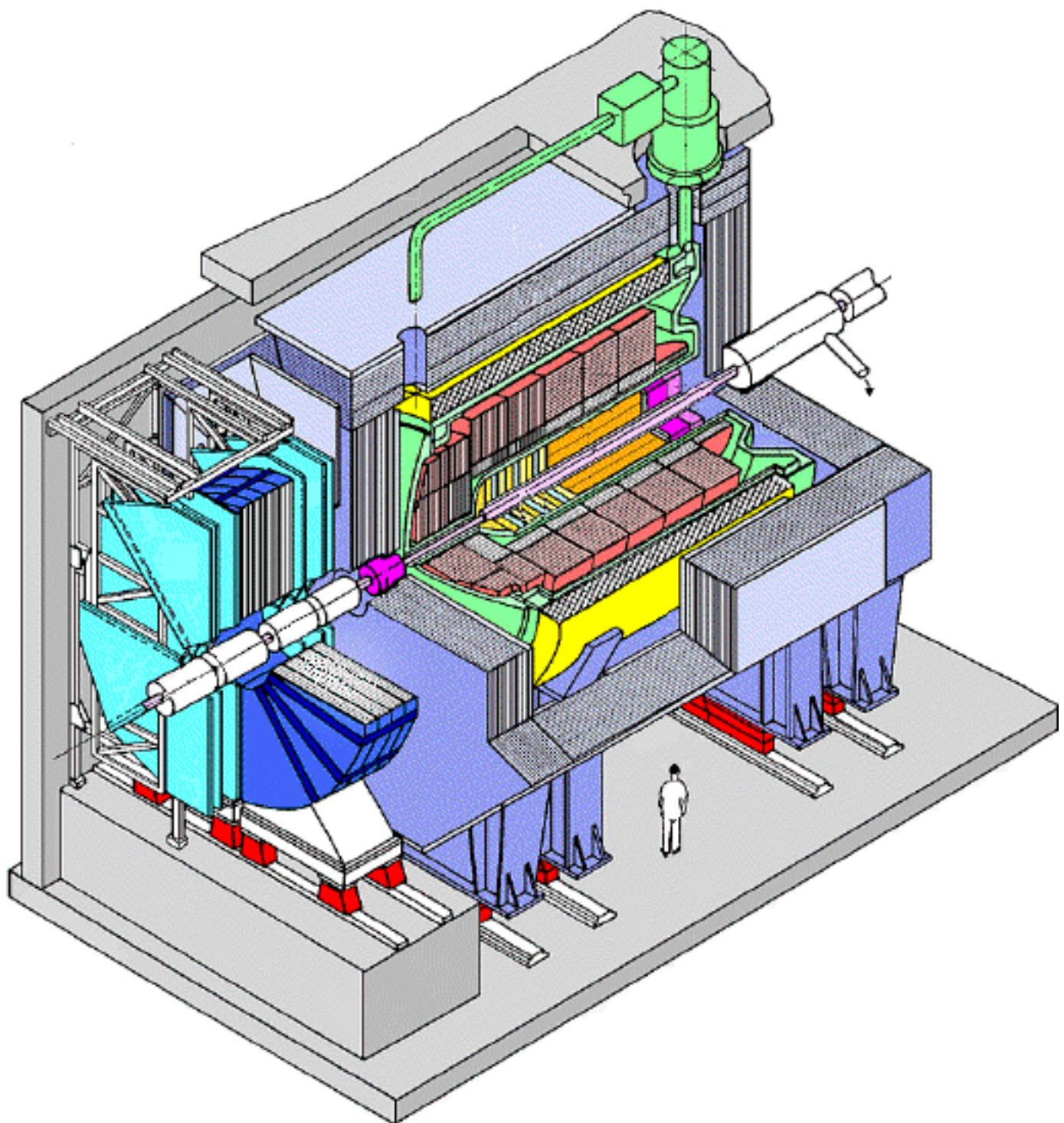
# **QED-Compton events in H1**

Nicolas Keller, Uni Zürich

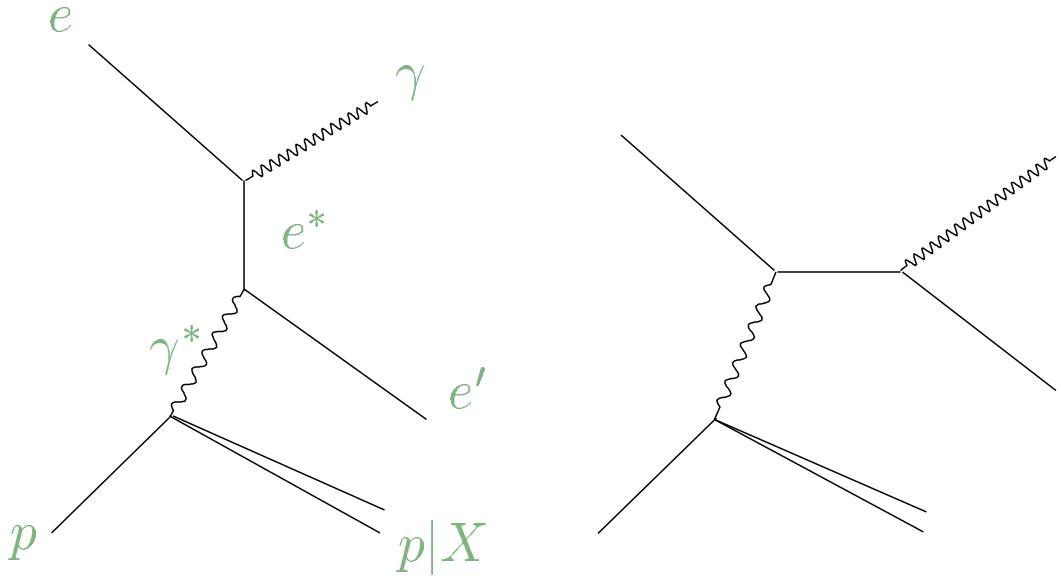
10.10.2001

- overview HERA/H1
- the QED Compton process
- calibration
- the photon content of the proton
- analysis aspects





# general graphs for radiative e-p scattering



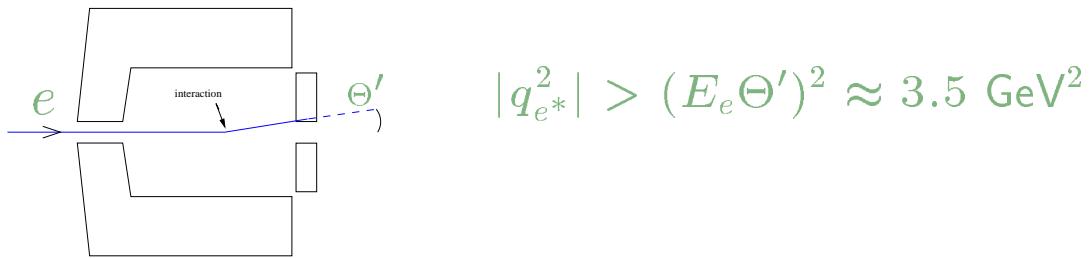
$$e^*: \quad q_{e^*}^2 = (p_\gamma - p_e)^2, \quad (p_\gamma + p_e)^2 \\ \gamma^*: \quad q_{\gamma^*}^2 = (p_X - p_p)^2$$

matrix element:  $dM \sim \frac{dq_{e^*}}{q_{e^*}^2 - m_e^2} \frac{dq_{\gamma^*}}{q_{\gamma^*}^2}$

$ q_{e^*}^2 $	$ q_{\gamma^*}^2 $	
$\approx 0$	$\approx 0$	Bremsstrahlung
$\approx 0$	$> 0$	radiative DIS
$> 0$	$\approx 0$	QED Compton

# QED-Compton Scattering

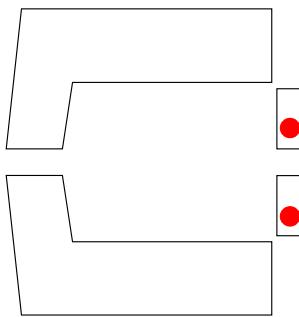
H1/HERA:



$\gamma^*$  is quasi-real in  $\gamma^* + e \rightarrow \gamma + e'$

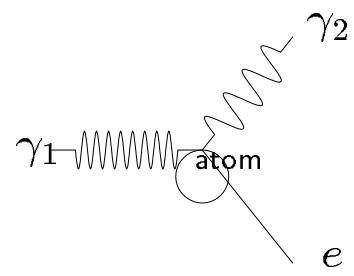
- ⇒ small momentum transfer to the proton
- ⇒ proton (or remnant) near the beampipe

Event signature:



⇒ detector (almost) empty except for two clusters.

classical Compton process:



# Calibration I - energy

use an overdetermined set of observables:

electron-  $\Theta_{e'}$ ,  $\Phi_{e'}$ ,  $E_{e'}$

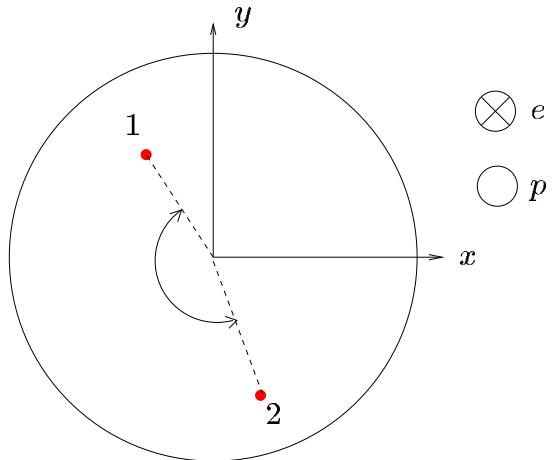
photon-  $\Theta_\gamma$ ,  $\Phi_\gamma$ ,  $E_\gamma$

define acoplanarity:

$$\Delta\Phi = |\Phi_1 - \Phi_2|$$

$$\vec{p}_{1,T} \approx -\vec{p}_{2,T}$$

$\Rightarrow \Phi_{1,2}$  are correlated



relation between polar-angle & energy of both e.m. clusters:

$$E_{e'} = \frac{2E_e \sin \Theta_\gamma}{\sin \Theta_{e'} + \sin \Theta_\gamma - \sin(\Theta_{e'} + \Theta_\gamma)}$$

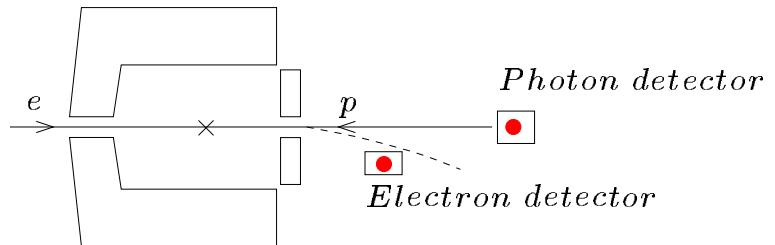
$$E_\gamma = \frac{2E_e \sin \Theta_{e'}}{\sin \Theta_{e'} + \sin \Theta_\gamma - \sin(\Theta_{e'} + \Theta_\gamma)}$$

$\Rightarrow$  allows calorimeter calibration by comparison of Double-Angle-energy vs. reconstructed energy

## Calibration II - luminosity measurement

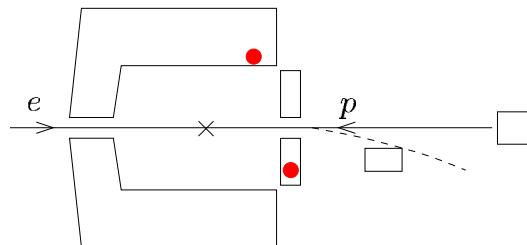
measure over some runperiod integrated Luminosity  $L = \frac{N_A}{\epsilon_A \sigma_A}$   
A: well-known reaction, such as in H1...

... by Bremsstrahlung:

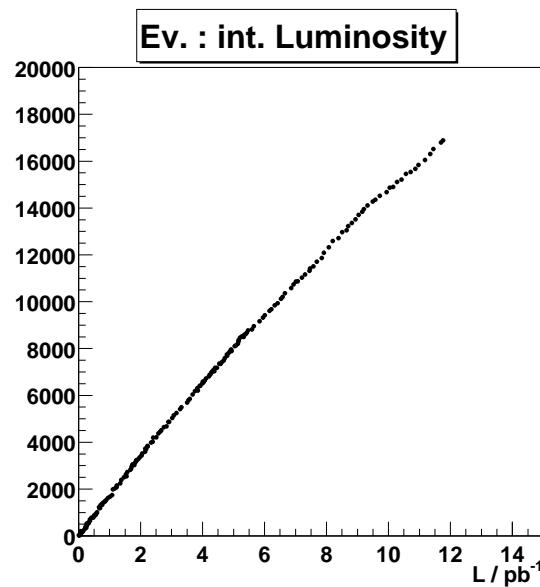


or in main-apparatus...

QED-Compton:

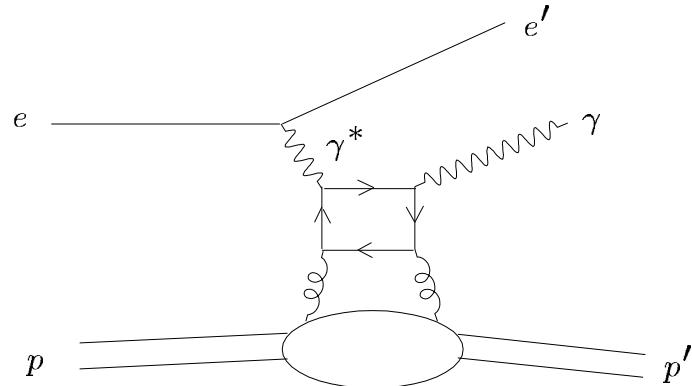


example for 97 data set:



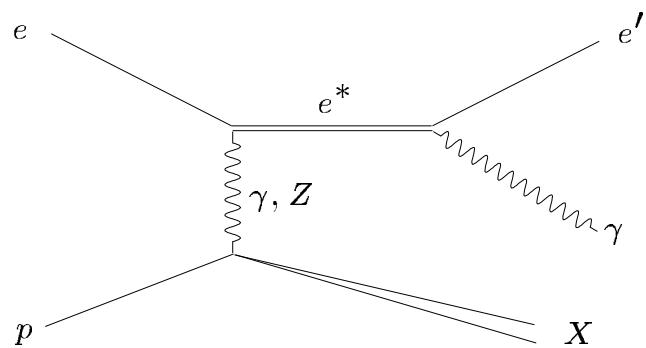
# QEDC as background to other processes

## I DVCS - Deeply Virtual Compton Scattering

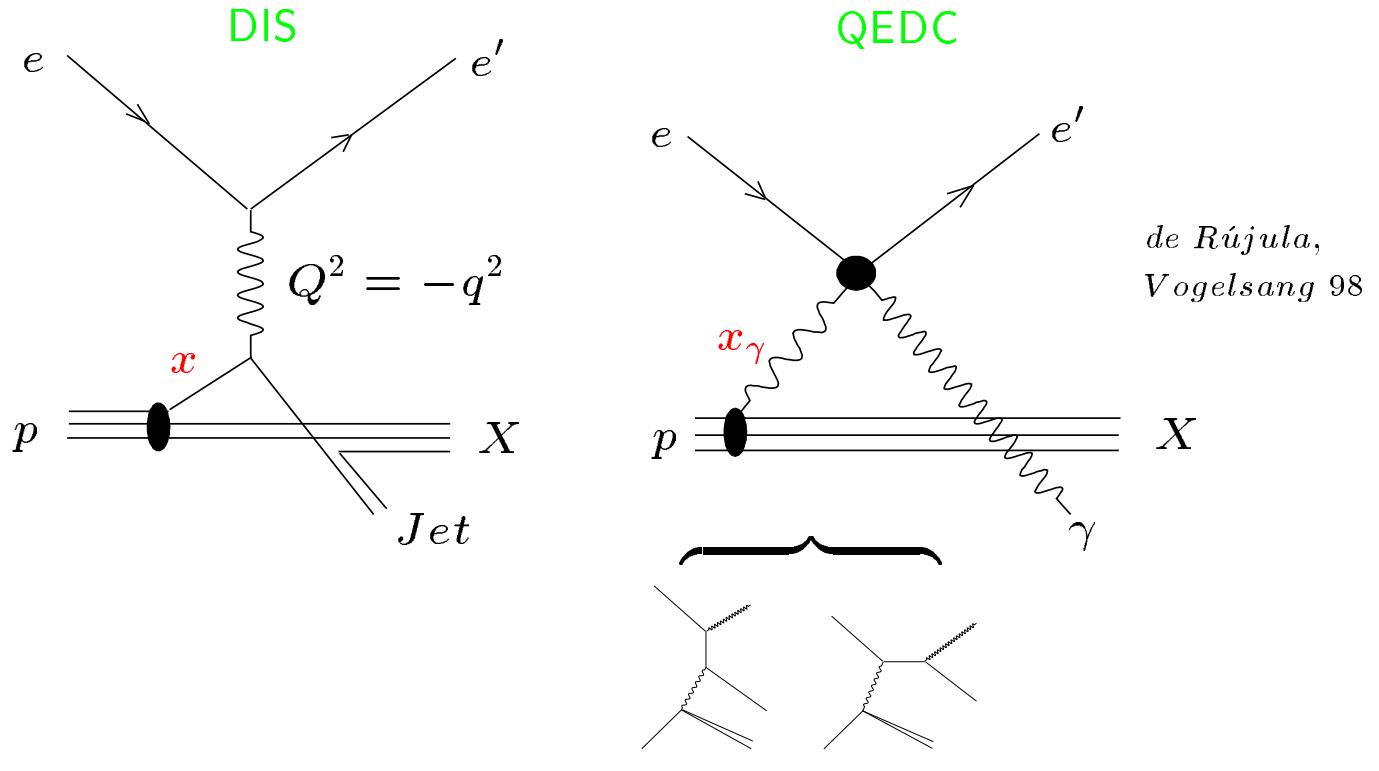


- ▷ process calculable in pQCD (Frankfurt, Freund, Strikman)
- ▷ determination of “skewed parton distributions” (SPDs)

## II excited electrons



# How to measure the proton's photon content



virtual photon	$\leftrightarrow$	virtual electron
quark	$\leftrightarrow$	quasi-real photon
jet	$\leftrightarrow$	real photon

DIS-analogue kinematic variables (QEDC  $\rightarrow$  “DICs”):

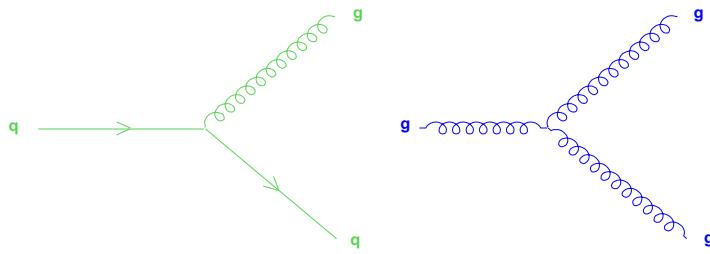
$$q = q_e - q_{e'} , \quad Q^2 = -q^2 , \quad x = \frac{Q^2}{2Pq} = x_\gamma , \quad y = \frac{Q^2}{x_\gamma s}$$

$$\Rightarrow \boxed{\text{photon density } \gamma(x, Q^2)}$$

## **Comparison** $\gamma(x, Q^2) \leftrightarrow g(x, Q^2)$

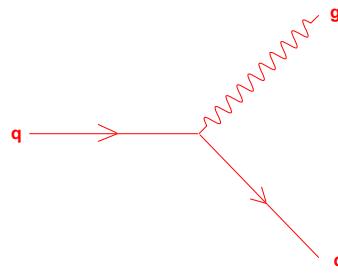
QCD gluon evolution equation:

$$\frac{dg(x, Q^2)}{d \ln Q^2} = \frac{\alpha_s(Q^2)}{2\pi} \int_x^1 \frac{dy}{y} \left[ \sum_q \frac{4}{3} P_{gq} \left( \frac{x}{y} \right) [q(y, Q^2) + \bar{q}(y, Q^2)] + P_{gg} \left( \frac{x}{y} \right) g(y, Q^2) \right]$$

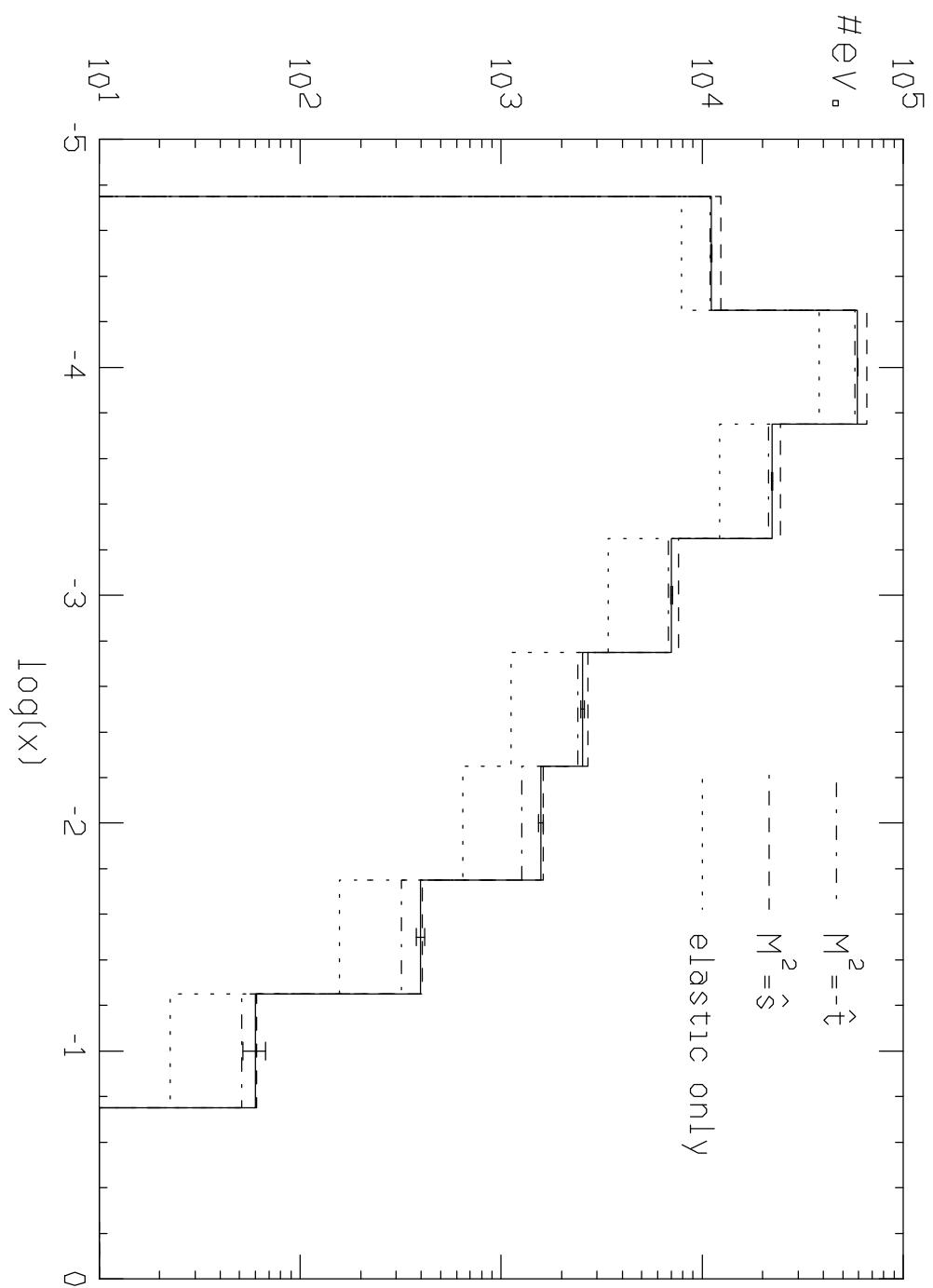


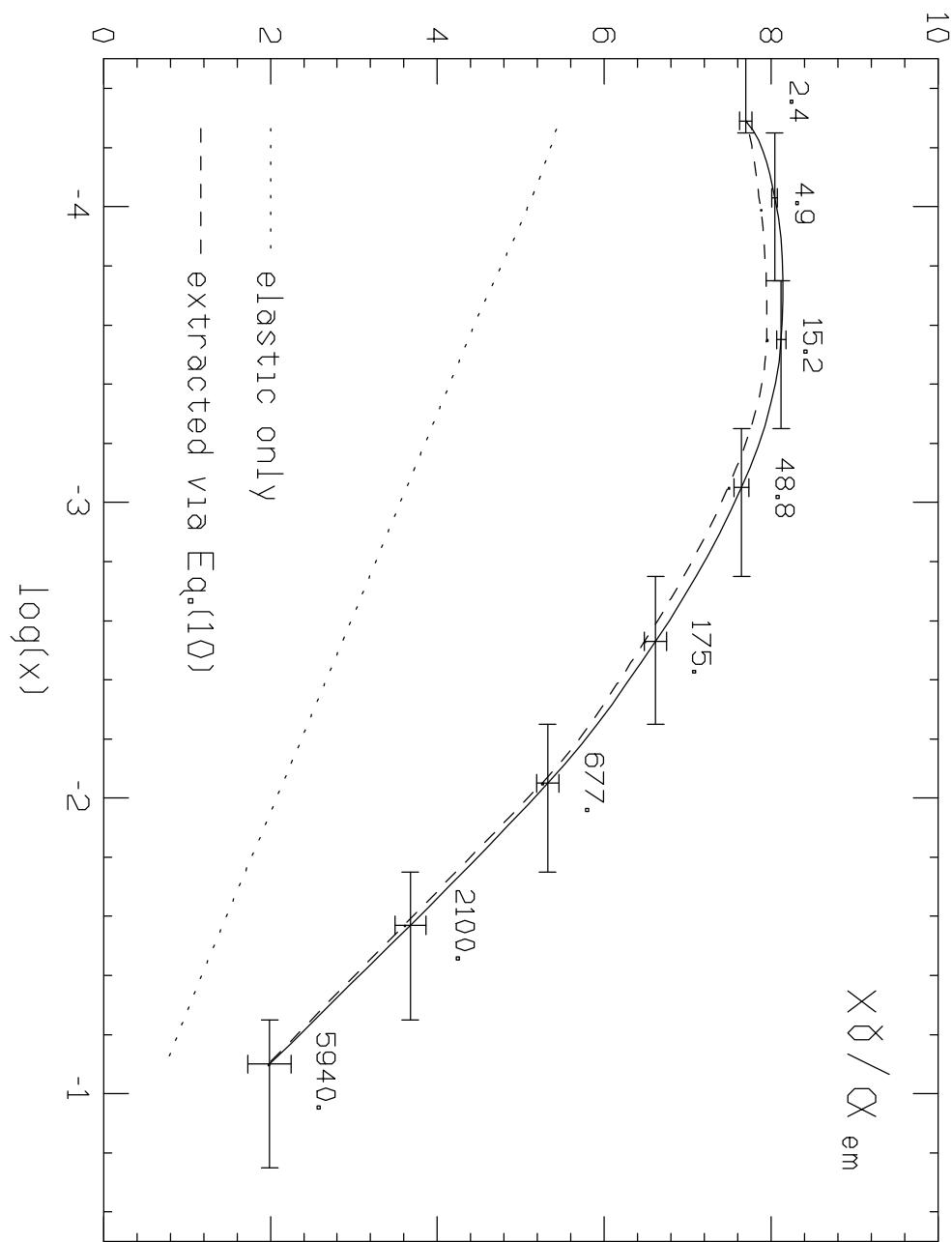
“QED evolution equation”:

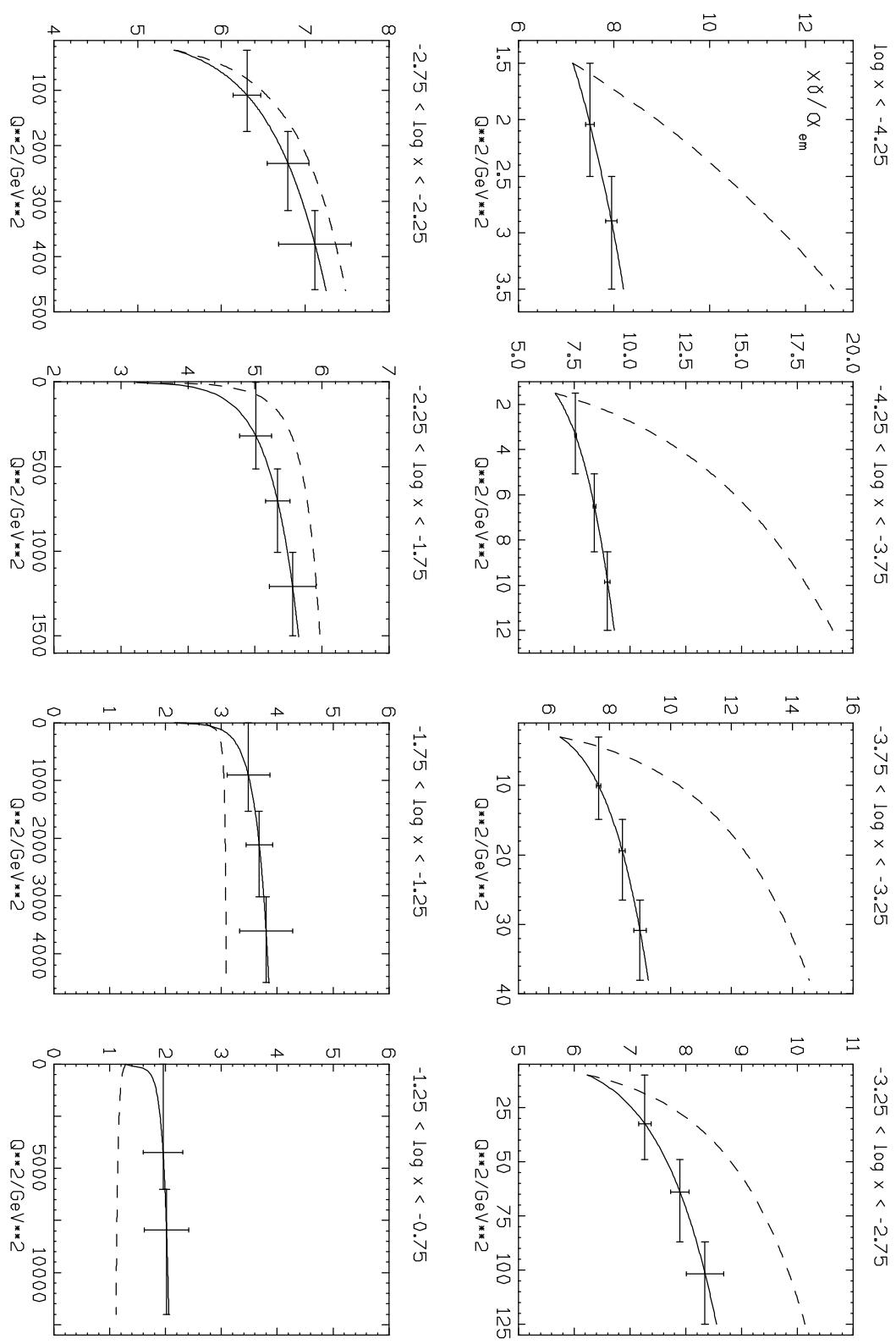
$$\frac{d\gamma(x, Q^2)}{d \ln Q^2} = \frac{\alpha_{em}(Q^2)}{2\pi} \int_x^1 \frac{dy}{y} \sum_q e_q^2 P_{Aq} \left( \frac{x}{y} \right) [q(y, Q^2) + \bar{q}(y, Q^2)]$$



→ expect different  $Q^2$  dependence







# Analysis aspects

Event selection from the H1-1997 data set ( $e^+p$ , 23.7 pb $^{-1}$ )

## technical conditions:

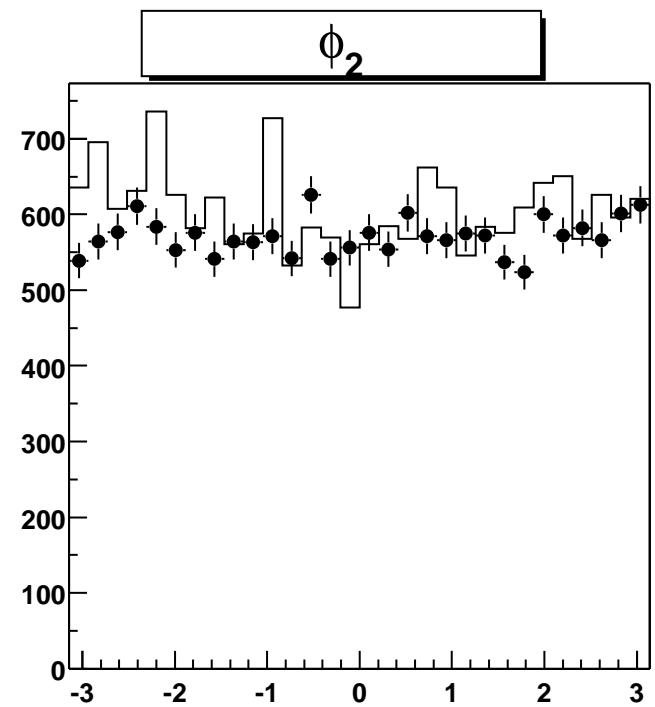
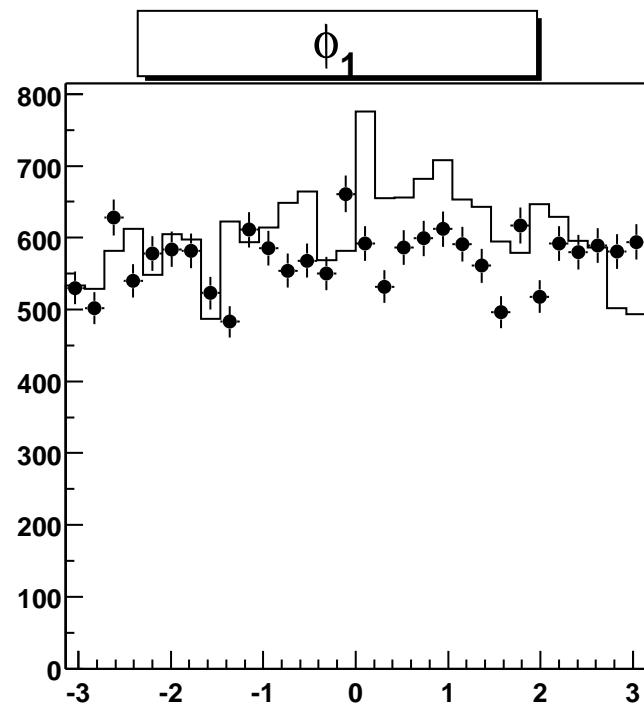
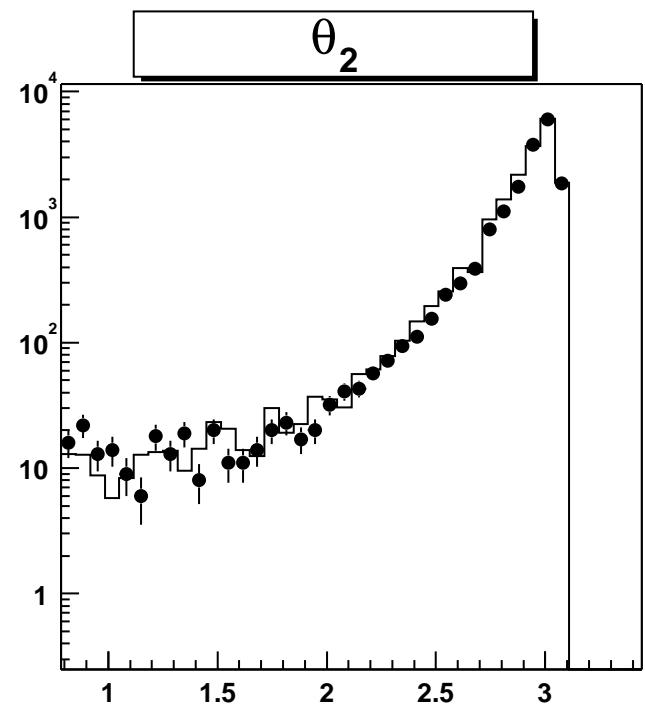
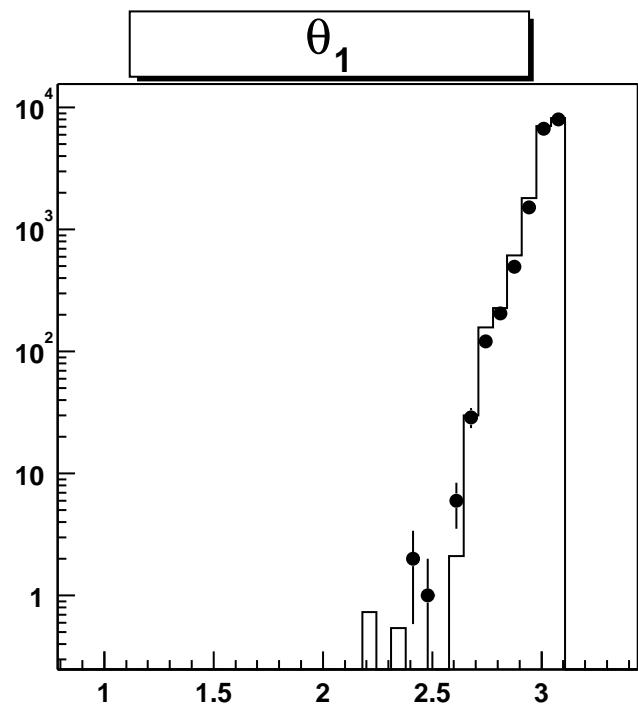
- ▷ only good/medium run quality
- ▷ use ELAN 97 list of bad-quality runs
- ▷ High Voltage 'ok': Trackers, Calo.s, backw./ centr. Silicon
- ▷ corresponding readout branches
- ▷ trigger phase (exclude lumi startup data)

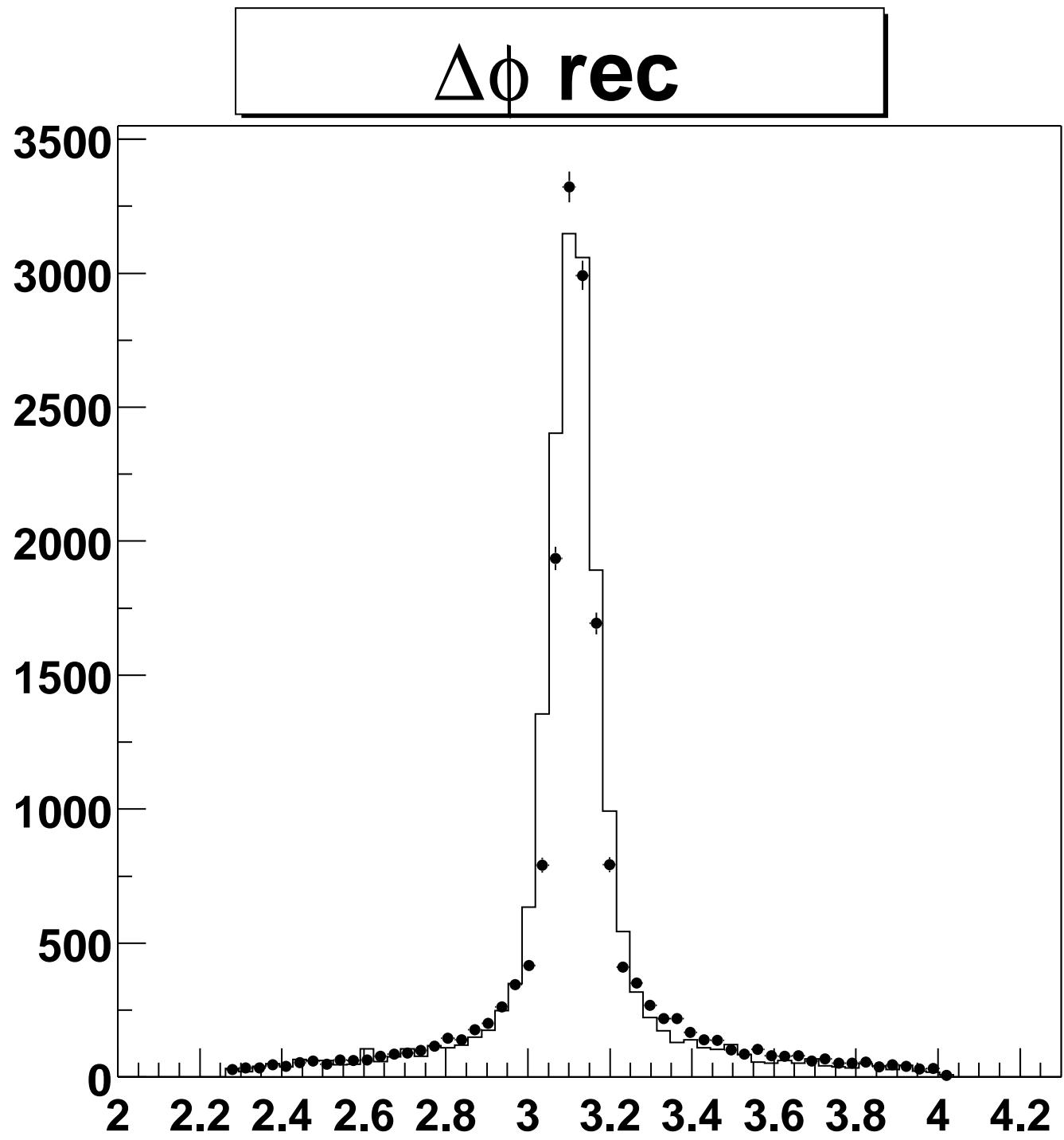
## physics conditions:

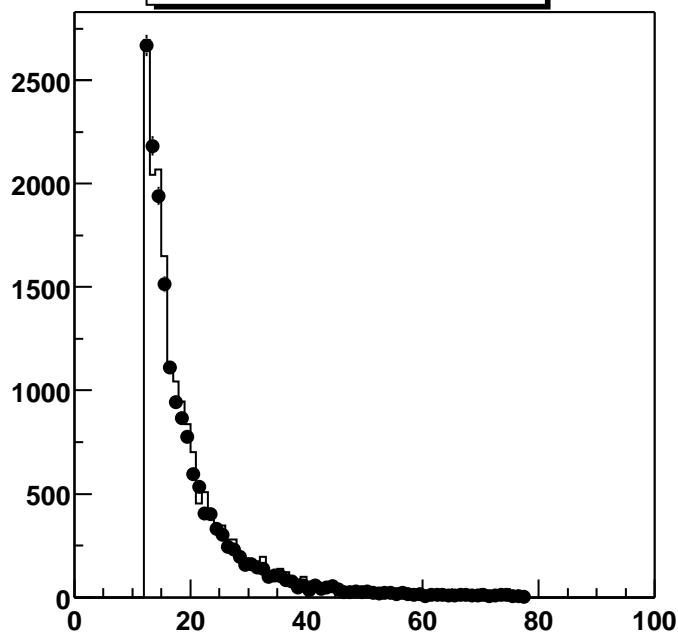
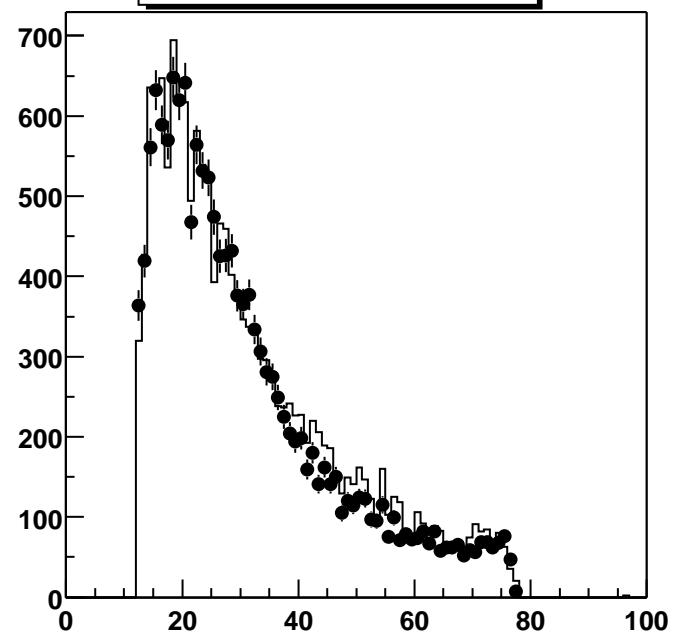
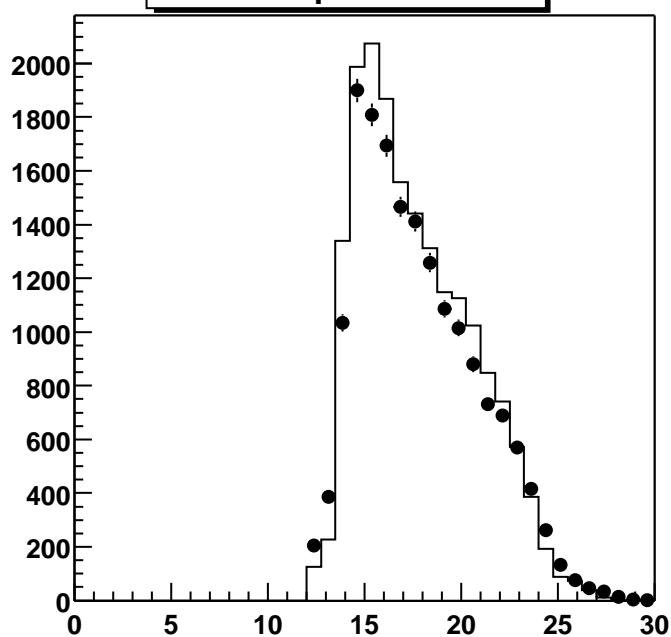
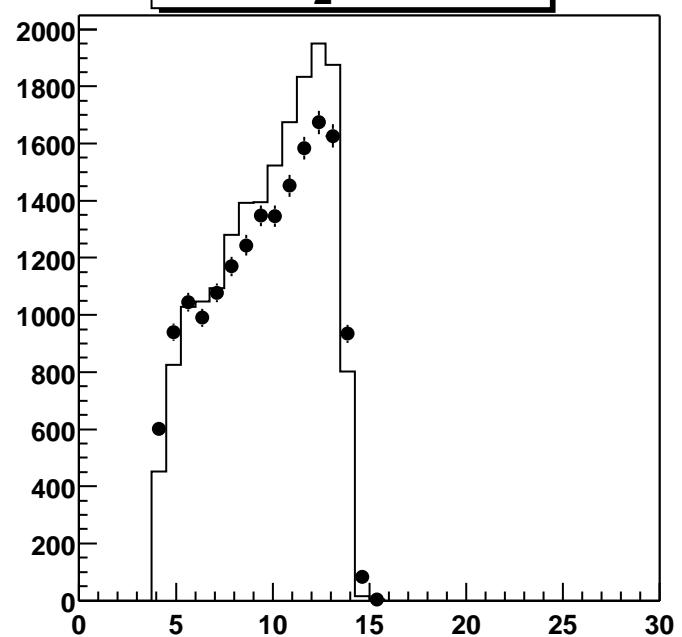
- ▷  $E_1 + E_2 = 20\ldots35$  GeV,  $E_1 > 12$  and  $E_2 > 4$  GeV
- ▷ backward:  $E_{e.m.} - (E_1 + E_2) < 2$  GeV
- ▷ backward:  $E_{had} < 0.5$  GeV
- ▷ forward ( $\Theta < 45$  Deg):  $E_{had} < 5$  GeV
- ▷  $\Theta_{cluster1+2} > 45$  Deg (exclude very forward Calorimeter)
- ▷ minimum cluster-cluster distance  $> 6$  cm
- ▷ number of central tracks  $< 2$
- ▷ select main level-1 triggers
- ▷  $|z_{vertex}| < 35$  cm
- ▷ distance to beam-line, cluster 1 or 2  $> 12$  cm
- ▷ Acoplanarity  $< 50$  Deg

## correct for:

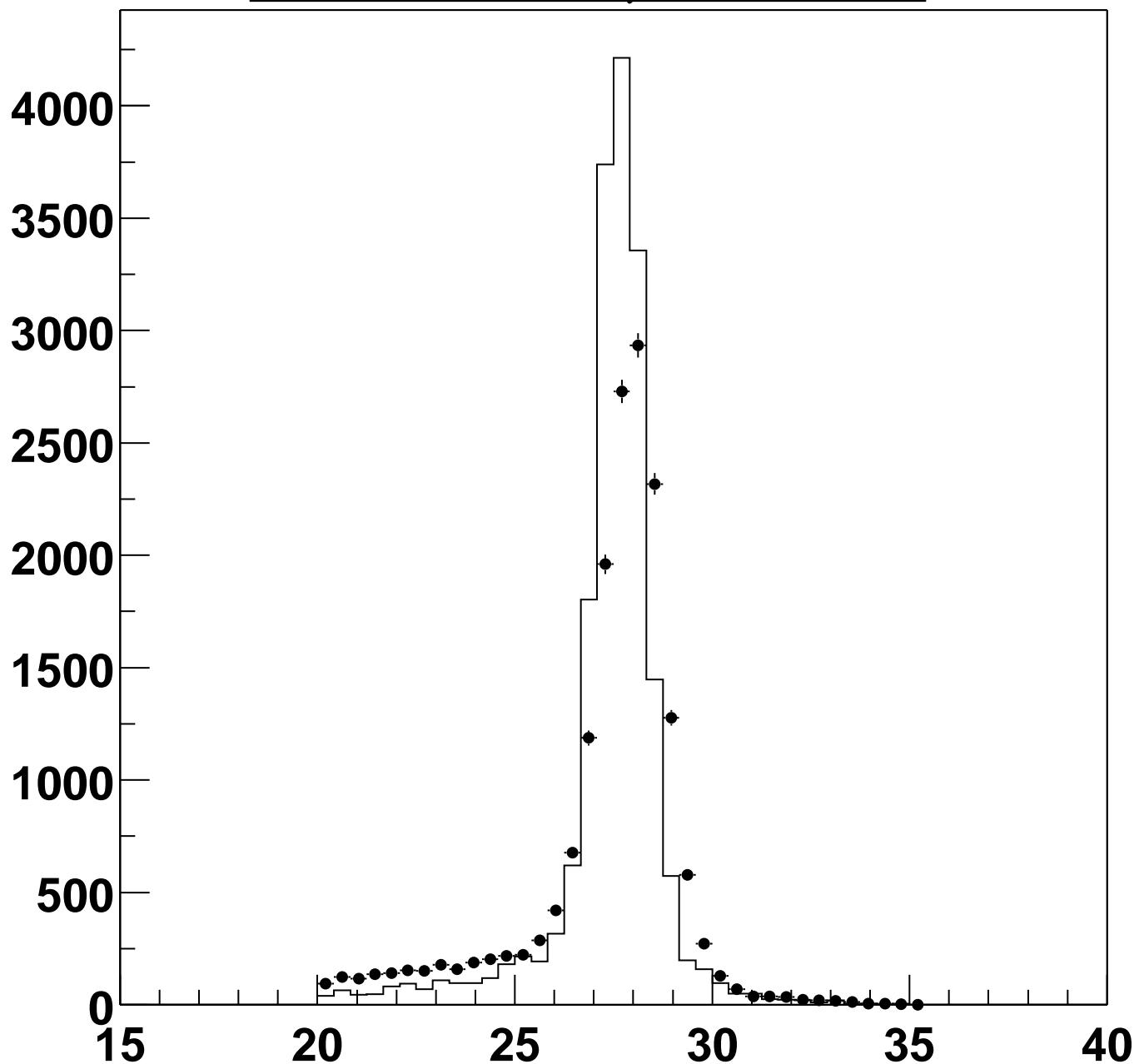
- ▷ B-field correction on  $\Phi_e$  (if  $e/\gamma$  separation available)
- ▷ reweight MC by  $\text{Lumi}_{Data} / \text{Lumi}_{MC}$
- ▷ reweight MC (inelastic part) by  $F_{2,ALLM} / F_{2,Compton}$

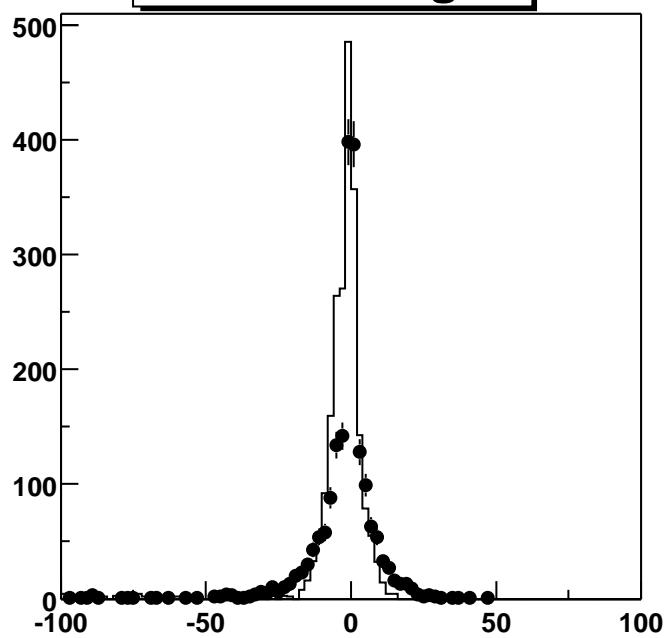
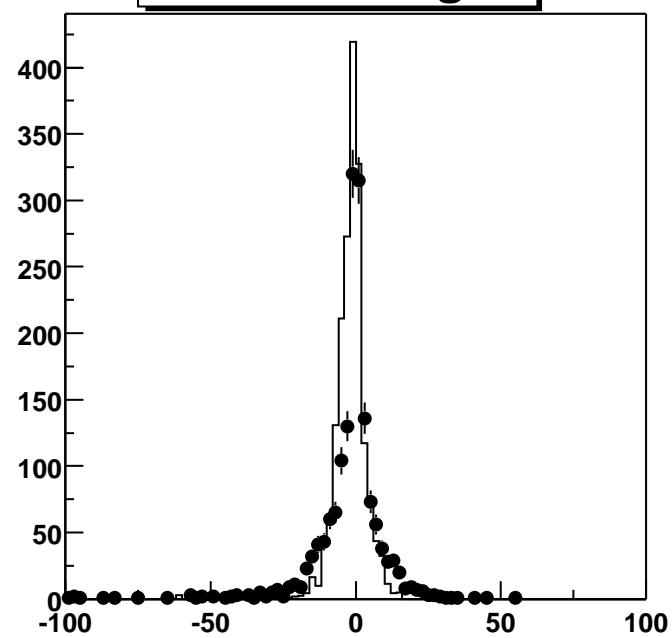
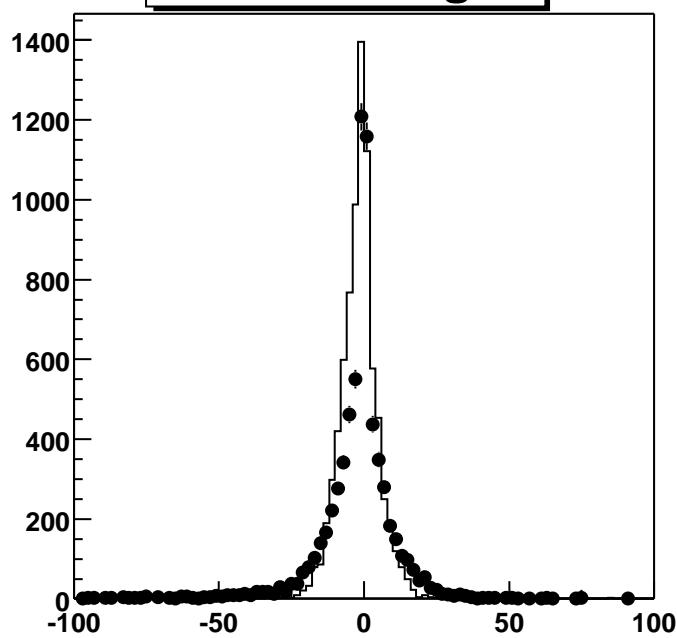
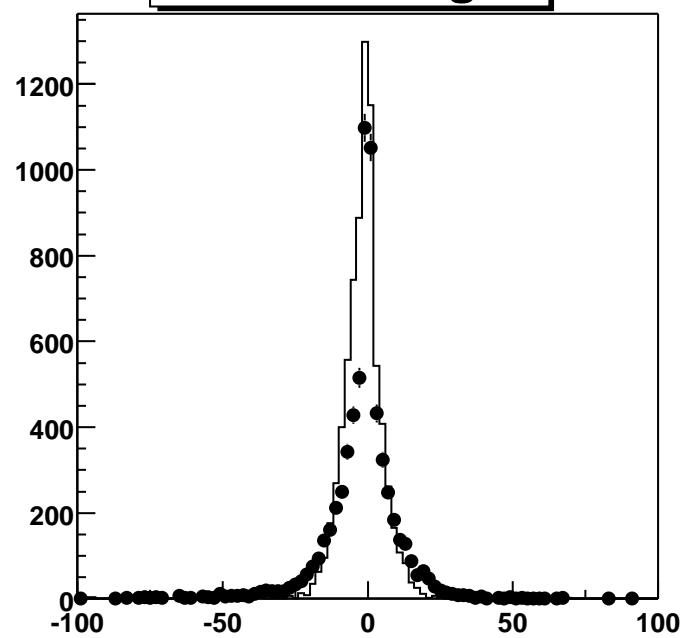


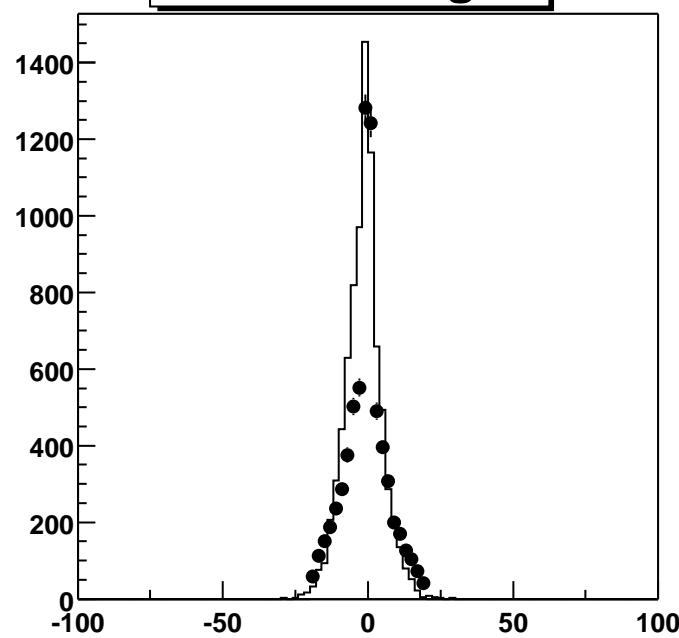
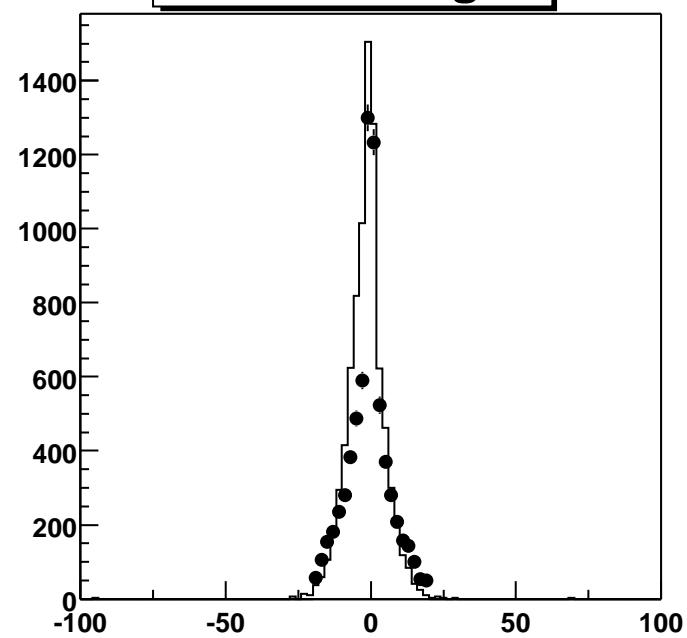
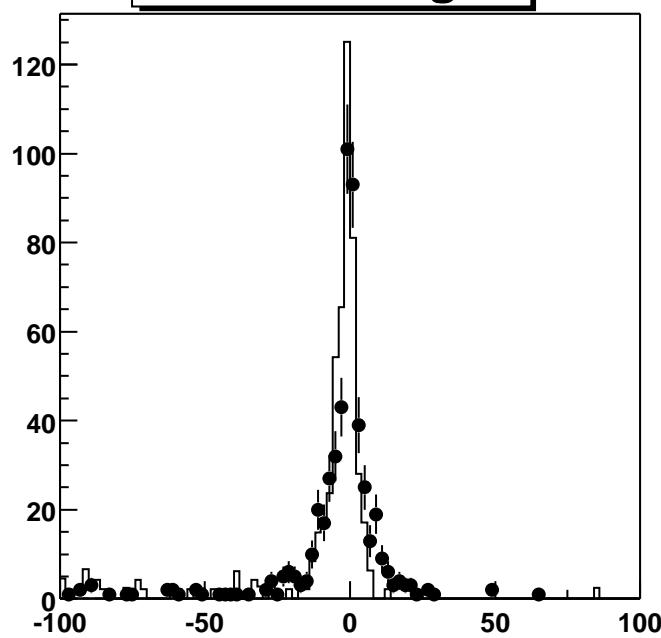
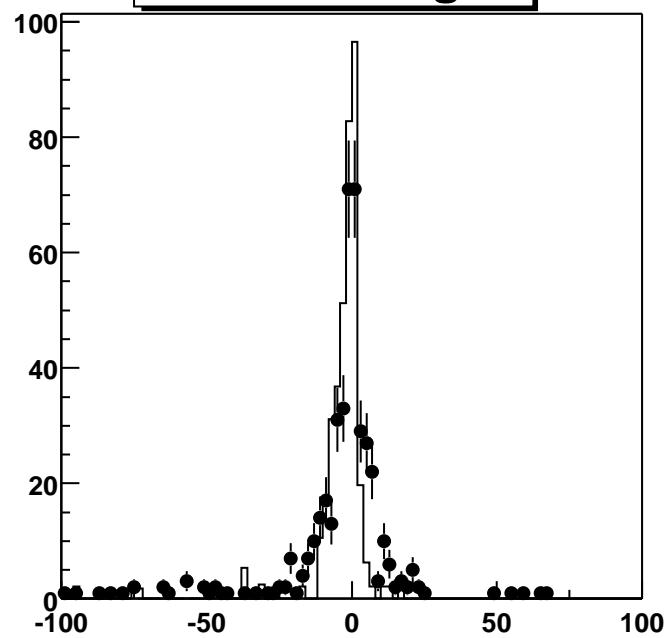


**Radius 1****Radius 2** **$E_1$  rec** **$E_2$  rec**

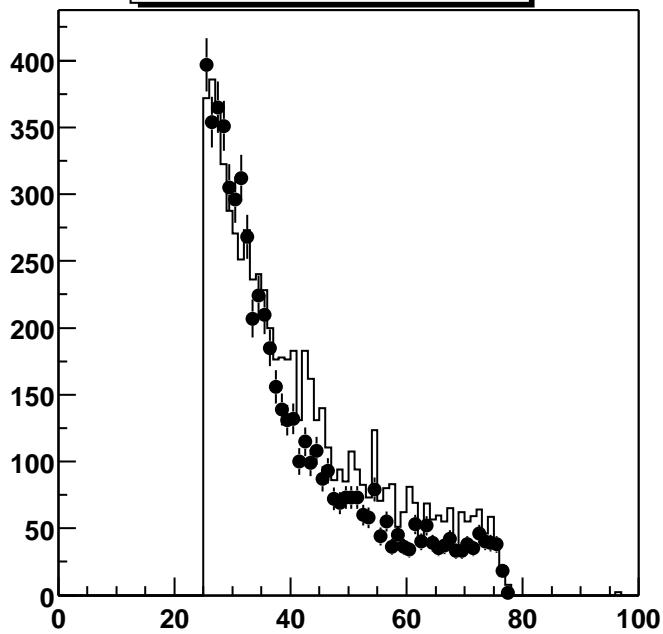
$E_e + E_\gamma \text{ rec}$



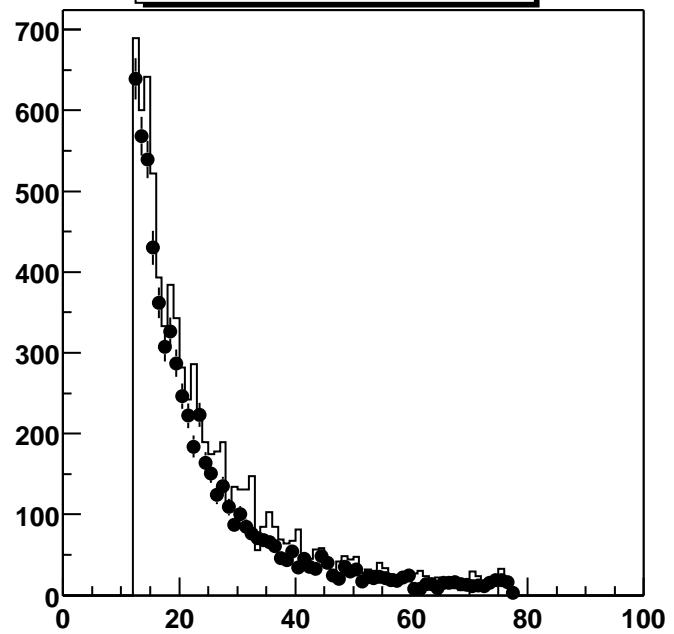
**CIP matching 11****CIP matching 12****CIP matching 21****CIP matching 22**

**CIP matching 11****CIP matching 12****CIP matching 21****CIP matching 22**

**Radius 1**



**Radius 2**



## the question about $e\gamma$ separation...

to observe  $\gamma$  and gluons differently developing in  $Q^2$  (hint by the authors)

Either:

use only events that contain identifiable  $e\gamma$  clusters.

Or ("without proof"):

use  $\hat{s} = (p + l)^2 \ (\approx m_{e\gamma^2})$

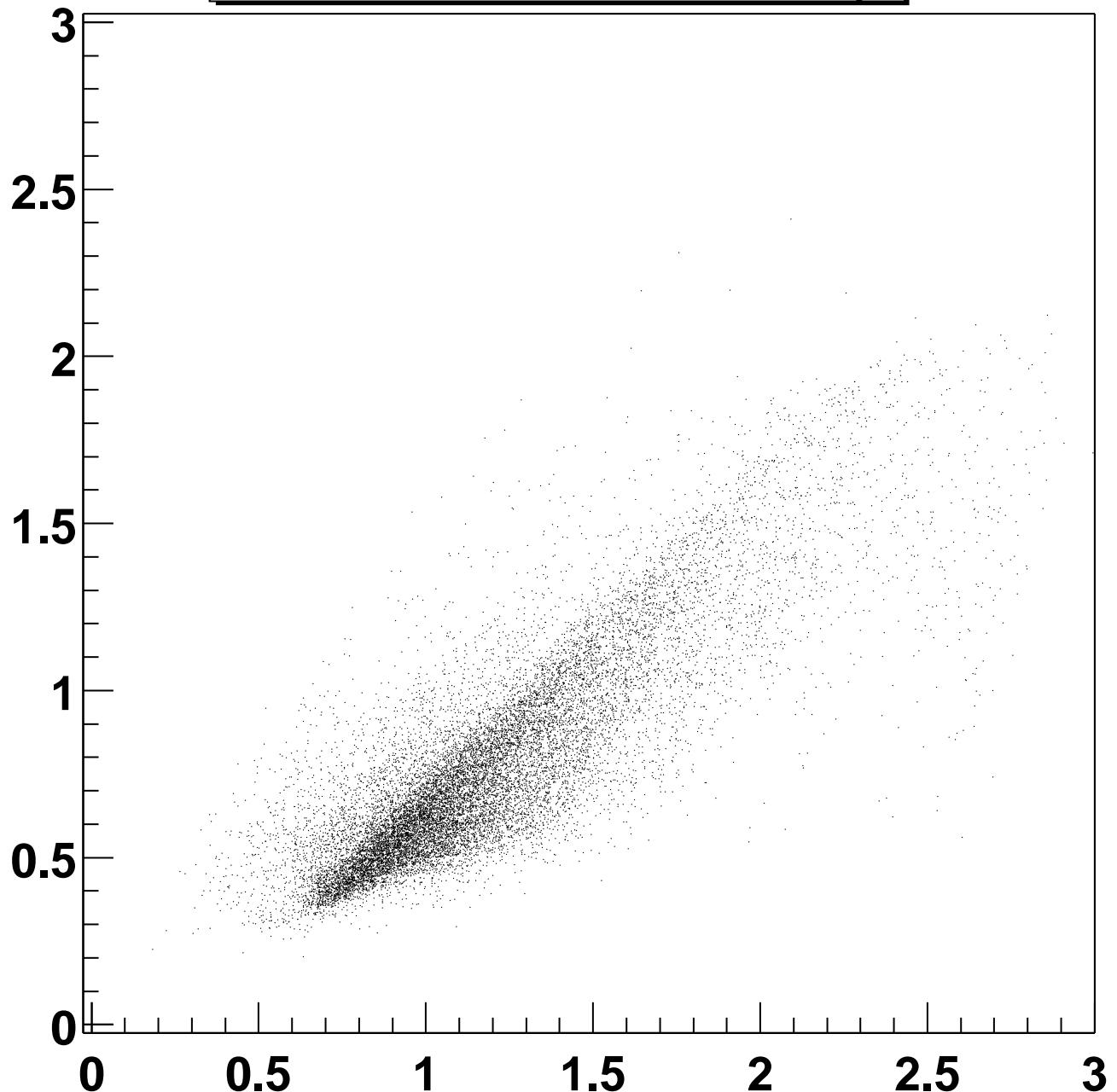
$\hat{s} = AQ^2$  with  $A \approx$  a few  $\approx const.$

$\log \hat{s} \approx \log(AQ^2) = \log A + \log Q^2$

$\Rightarrow$  only a small shift between the two evolutions

$\Rightarrow$  gluons should (still) evolve much faster than  $\gamma$

# $\log(Q^2)$ vs. $\log(m_{e\gamma}^2)$



## summary and prospect

- QED Compton events are useful for calibration and proton structure
- photon content of the proton: theoretical interesting test of QED/QCD, gluon  $\leftrightarrow$  photon behaviour in the proton

to do:

- further corrections, efficiencies (all trigger levels), comisc filter, etc.
- distinguish  $e/\gamma$ , necessary for  $\gamma(x, Q^2)$ , but difficult
  - first positive indications (CIP-chamber)
  - exploit Backward silicon and drift chamber (also for vertex!)
  - or
  - look for  $e$  in central calo, use central tracking
- statistics: data under investigation  $\approx \frac{1}{3}$  (theory assumption)  
 $\Rightarrow$  use data  $> 1997$